

Economic Questions and Data

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Economic Questions

Causal Effects and Idealized Experiments

Cause and Effect

Data: Sources and Types

Economic Questions

- Economics suggests important **relationships**, often with policy implications, but virtually **never** suggests **quantitative magnitudes** of **causal effects**.

Examples of economic questions

Question #1: Does reducing class size improve elementary school education?

- Reducing class size **costs** money: It requires hiring more teachers and building more classrooms.
- To weigh **costs** and **benefits**, the decision maker must have a **precise quantitative** understanding of the likely benefits.

Question #2: Is there **racial discrimination** in the market for home loans?

- By law, U.S. lending institutions cannot take **race** into account when deciding to grant or **deny** a request for a mortgage.
- Using data from early 1990s, researchers found that **28%** of black applicants are denied mortgages, while only **9%** of white applicants are denied.
- Do these data indicate that there is **racial bias** in mortgage lending? If so, how large is it?

Question #3: How much do cigarette taxes reduce smoking?

- One of the most flexible tools for cutting smoking consumption is to increase **taxes** on cigarettes.
- The **percentage change** in the quantity demanded resulting from a 1% increase is the *price elasticity of demand*.

Causal Effects and Idealized Experiments

- In common usage, an action is said to **cause** an outcome if the outcome is the **direct** result, or consequence, of that action.
- Touching a hot stove **caused** you to get burned.
- Putting fertilizer on your tomato plants **causes** them to produce more tomatoes.

Estimation of Causal Effects

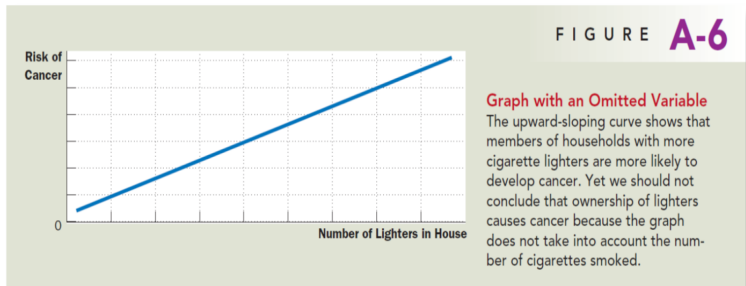
- How might we measure the **causal effect** on tomato yield (measured in kilograms) of applying a certain amount of fertilizer, say **100 grams** of fertilizer per square meter?
- One way to measure this causal effect is to conduct an **experiment**.
 - Plant many plots of tomatoes.
 - Each plot is tended **identically**, with one exception: Some plots get 100 grams of fertilizer per square meter, while the rest get **none**.
 - Whether a plot is fertilized or not is determined **randomly** by a computer.

- The difference between the average yield per square meter of the **treated** and **untreated** plots is the **effect** on tomato production of the fertilizer treatment.
- This is an example of a **idealized controlled experiment**. It is controlled in the sense that there are both a **control group** that receives **no** treatment and a **treatment group** that receives the treatment.
- The **causal effect** is defined to be the effect on an outcome of a given action or treatment, as measured in an ideal randomized controlled experiment.

Cause and Effect

- When graphing data from the **real world**, it is often more difficult to establish **how** one variable **affects** another.
- In other words, seeing **correlation** (相關性) between two variables does not necessarily imply the existence of causality (因果關係).
- Two problems requires us to proceed with caution when using graphs to draw conclusions about causes and effects.
 - Omitted variables (遺漏變數).
 - Reverse causality.

Omitted Variables



- Figure A-6 shows a strong relationship between two variables: **the number of cigarette lighters that a household owns and the probability that someone in the household will develop cancer.**

- What should the government do to reduce the number of deaths from cancer?
 - 1 Discourage the ownership of cigarette lighters by **taxing** their sale?
 - 2 Require warning label on cigarette lighters: "**This lighter is dangerous to your health**" ?
- Are these two suggestions valid?
- Has Figure A-6 **held constant** every relevant variable except the one under consideration? No.
- An easy explanation for Figure A-6 is that people who own more cigarette lighters are more likely to smoke cigarettes and that **cigarettes**, not **lighters**, **cause** cancer.

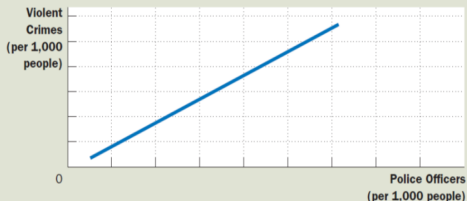
- If Figure A-6 does not **hold constant** the amount of smoking, it does not tell us the true effect of owning a cigarette lighter.
- This story illustrate an important principle: When you see a graph used to support an argument about cause and effect, it is important to ask whether the movements of an **omitted variable** could explain the results you see.

Reverse Causality

A-7 FIGURE

Graph Suggesting Reverse Causality

The upward-sloping curve shows that cities with a higher concentration of police are more dangerous. Yet the graph does not tell us whether police cause crime or crime-plagued cities hire more police.



- Figure A-7 plots **the number of violent crimes** per thousand people in major cities against **the number of police officers** per thousand people.

- The anarchists note the curve's **upward** slope and argue that because police increase rather than decrease the amount of urban violence, law enforcement should be **abolished**.
- Is this a correct argument?
- Figure A-7 only tells that more dangerous cities have more police officers.
- The explanation for this **may be** that more dangerous cities hire more police.
- In other words, rather than police causing crime, **crime may cause police**.

- If we could run a **controlled experiment**, we could avoid the danger of **reverse** causality.
- To run an experiment, we would **set** the number of police officers in different cities **randomly** and then examine the correlation between police and crime.
- Unfortunately, controlled experiments are **rare** in **social science**.

- It **might seem** that an easy way to determine the direction of causality is to examine which variable **moves first**.
- If we see crime increase and then the police force expand, we reach one conclusion.
- If we see the police force expand and then crime increase, we reach the other.
- Yet there is also a **flaw** with this approach: Often, people change their behavior in response to a change in their *expectations* of **future** conditions.

- A city that **expects** a major crime wave in the **future**, for instance, might hire more police **now**.
- This problem is easier to see in the case of **babies** and **minivan**.
- Couples often buy a minivan in **anticipation** of the birth of a child.
- The minivan comes before the baby, but we wouldn't want to conclude that the sale of minivans **cause** the population to grow!

Randomized Trials

- *Potential outcome* Y_{1i} is the outcome for an individual under a potential *treatment*, while *potential outcome* Y_{0i} is the outcome for an individual under a potential *non-treatment*.
- For those *treated*, we observe Y_{1i} . For those not treated, we observe Y_{0i} .
- Let $D_i = 1$ denotes being treated (**treatment group**), while $D_i = 0$ denotes not being treated (**control group**).

- The (causal) treatment effect we want to measure is $Y_{1i} - Y_{0i}$ for individual i . Or the **average** treatment effect

$$E(Y_{1i} - Y_{0i}) = E(Y_i | D_i = 1) - E(Y_i | D_i = 0).$$

Unfortunately, we can not observe Y_{1i} and Y_{0i} at the **same** time.

- We only observe one group that are treated, and another group that are not treated, and compare their mean differences.

$$\begin{aligned} & Avg_n(Y_i | D_i = 1) - Avg_n(Y_i | D_i = 0) \\ &= Avg_n(Y_{1i} | D_i = 1) - Avg_n(Y_{0i} | D_i = 0) \end{aligned}$$

where $Avg_n(Y_{0i} | D_i = 0) = \frac{1}{n_0} \sum_{i=1}^{n_0} Y_i$.

- For simplicity, suppose that $Y_{1i} = Y_{0i} + \kappa$, or $Y_{1i} - Y_{0i} = \kappa$ for **constant** treatment effect. Then

$$\begin{aligned} & Avg_n(Y_{1i}|D_i = 1) - Avg_n(Y_{0i}|D_i = 0) \\ &= \{\kappa + Avg_n(Y_{0i}|D_i = 1)\} - Avg_n(Y_{0i}|D_i = 0) \\ &= \kappa + \{Avg_n(Y_{0i}|D_i = 1) - Avg_n(Y_{0i}|D_i = 0)\} \\ &= \kappa + \underline{\text{selection bias}} \end{aligned}$$

- When n is large enough, $Avg_n(Y_{0i}|D_i = 1) \xrightarrow{P} E(Y_{0i}|D_i = 1)$
and $Avg_n(Y_{0i}|D_i = 0) \xrightarrow{P} E(Y_{0i}|D_i = 0)$
(Law of Large Numbers, LLN).

- When D_i is **randomly** assigned, e.g. by experiments,

selection bias

$$\begin{aligned} &= \text{Avg}_n(Y_{oi}|D_i = 1) - \text{Avg}_n(Y_{oi}|D_i = 0) \\ &\xrightarrow{p} E(Y_{oi}|D_i = 1) - E(Y_{oi}|D_i = 0) \\ &= 0 \end{aligned}$$

In other words, **random assignment** can eliminate selection bias.

Data: Sources and Types

Experimental versus Observational Data

- **Experimental data** come from experiments designed to evaluate a treatment or policy to investigate a causal effect.
- Because of **financial, practical, and ethical problems**, experiments in economics are **rare**. Most economic data are obtained by **observing** real-world behavior.
- Data obtained by observing actual behavior outside an experimental setting are called **observational data**.

- In the real world, levels of “treatment” are **not** assigned at **random**, so it is difficult to sort out the effect of the “treatment” from other relevant factors.
- Much of econometrics is devoted to methods for **meeting the challenges** encountered when real-world data are used to estimate **causal effects**.

Cross-Sectional Data:

California School District Data

TABLE 1.1 Selected Observations on Test Scores and Other Variables for California School Districts in 1999

Observation (District) Number	District Average Test Score (fifth grade)	Student-Teacher Ratio	Expenditure per Pupil (\$)	Percentage of Students Learning English
1	690.8	17.89	\$6385	0.0%
2	661.2	21.52	5099	4.6
3	643.6	18.70	5502	30.0
4	647.7	17.36	7102	0.0
5	640.8	18.67	5236	13.9
⋮	⋮	⋮	⋮	⋮
418	645.0	21.89	4403	24.3
419	672.2	20.20	4776	3.0
420	655.8	19.04	5993	5.0

Note: The California test score data set is described in Appendix 4.1.

Time Series Data:

Growth Rate of GDP and Term Spread in the United States, Quarterly Data, 1960:Q1-2017:Q4.

TABLE 1.2 Selected Observations on the Growth Rate of GDP and the Term Spread in the United States: Quarterly Data, 1960:Q1-2017:Q4

Observation Number	Date (year: quarter)	GDP Growth Rate (% at an annual rate)	Term Spread (percentage points)
1	1960:Q1	8.8%	0.6
2	1960:Q2	-1.5	1.3
3	1960:Q3	1.0	1.5
4	1960:Q4	-4.9	1.6
5	1961:Q1	2.7	1.4
⋮	⋮	⋮	⋮
230	2017:Q2	3.0	1.4
231	2017:Q3	3.1	1.2
232	2017:Q4	2.5	1.2

Note: The United States GDP and term spread data set is described in Appendix 15.1.

Panel Data:

Cigarette Sales, Prices, and Taxes by State and Year for U.S. States, 1985-95.

TABLE 1.3 Selected Observations on Cigarette Sales, Prices, and Taxes, by State and Year for U.S. States, 1985-1995

Observation Number	State	Year	Cigarette Sales (packs per capita)	Average Price per Pack (including taxes)	Total Taxes (cigarette excise tax + sales tax)
1	Alabama	1985	116.5	\$1.022	\$0.333
2	Arkansas	1985	128.5	1.015	0.370
3	Arizona	1985	104.5	1.086	0.362
⋮	⋮	⋮	⋮	⋮	⋮
47	West Virginia	1985	112.8	1.089	0.382
48	Wyoming	1985	129.4	0.935	0.240
49	Alabama	1986	117.2	1.080	0.334
⋮	⋮	⋮	⋮	⋮	⋮
96	Wyoming	1986	127.8	1.007	0.240
97	Alabama	1987	115.8	1.135	0.335
⋮	⋮	⋮	⋮	⋮	⋮
528	Wyoming	1995	112.2	1.585	0.360

Note: The cigarette consumption data set is described in Appendix 12.1.

Big Data: (大數據)

- How big is Big?
- What is it?
- ex: 教育部使用大數據分析畢業生主修科系與勞保投保薪資的關係?