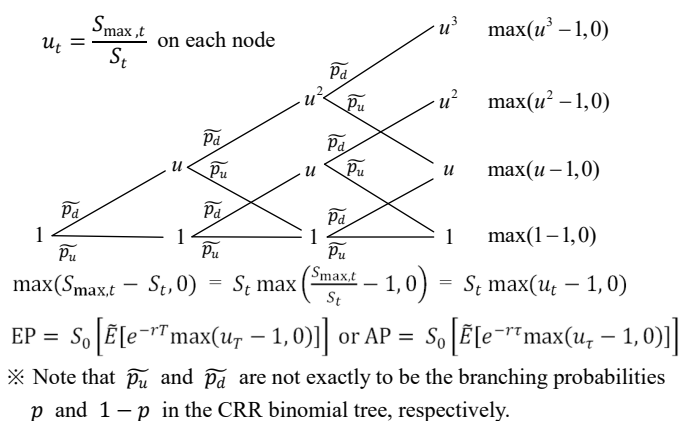


Assignment 4

Price a lookback put with the binomial tree model. The payoff function of the lookback put is as follows.

$$\text{Payoff}_\tau = \max(S_{\max,\tau} - S_\tau, 0), \text{ where } S_{\max,\tau} = \max S_u, \text{ for } u = 0, \Delta t, 2\Delta t, \dots, \tau.$$

- Basic requirement (80 points):
 - Implement the binomial tree model to price both European and American lookback puts.
 - Implement the Monte Carlo simulation to price European lookback puts.
(Inputs: $S_t, r, q, \sigma, t, T, S_{\max,t}, n$, number of simulations, number of repetitions. Outputs: Option values for both methods and 95% confidence level for Monte Carlo simulation.)
- Bonus 1 (5 points):
Based on the same binomial tree framework, devise and implement a quick approach to determine the S_{\max} list for each node and implement your approach to price lookback puts.
- Bonus 2 (10 points):
Implement the method in Cheuk and Vorst (1997) to price European and American lookback puts.



- Reference
Cheuk and Vorst (1997), "Currency lookback options and observation frequency: a binomial approach," *Journal of International Money and Finance* 16, pp. 173–187.