



# **The Potential of Social Identity**

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# Outline

- What is social identity?
- Group identity and social preferences
  - Chen and Li (2009)
- The potential
- Social identity and equilibrium selection
  - Chen and Chen (2008)
- Social identity and public goods provision

# What is social identity?

- A person's sense of self derived from group membership
- Multi-dimensional, dynamic
  - Race
  - Gender
  - Occupation
  - etc.

# **Social Identity Changes Behavior**

- Method: Priming natural identities
- Derive self-esteem from group membership
- Conform to stereotypes
  - Shih, Pittinsky and Ambady (1999)
  - Benjamin, Choi and Strickland (2006)

# Social Identity Theory (Tajfel and Turner 1979)

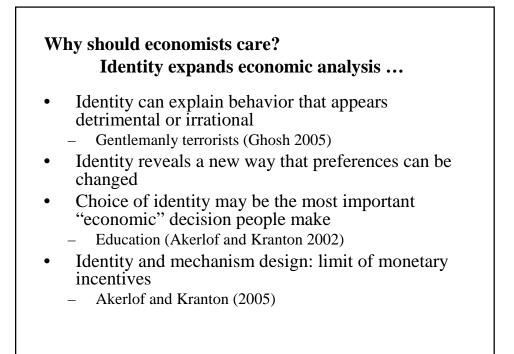
• The minimal group paradigm (MGP)

(1) random assignment to groups based on trivial tasks

(2) no social interaction

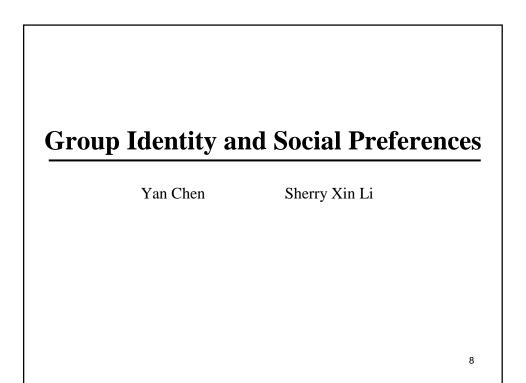
- (3) anonymous group membership
- (4) no link b/w self interest and choices
- MGP => **Ingroup favoritism**, outgroup discrimination
- Economic games: almost always violate (4)
- (1), (2), (3) => near-minimal

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# Models of social identity

- Beliefs
  - Benabou and Tirole (2006)
- Preferences
  - exogenous norm
    - Akerlof and Kranton (2000, 2002, 2005)
    - "The incorporation of such endogeneity is the next step." (Akerlof 2007)
  - Preference classes: varying weight on social preference
    - Basu (2006)
    - McLeish and Oxoby (2006)
    - Chen and Li (*forthcoming*)



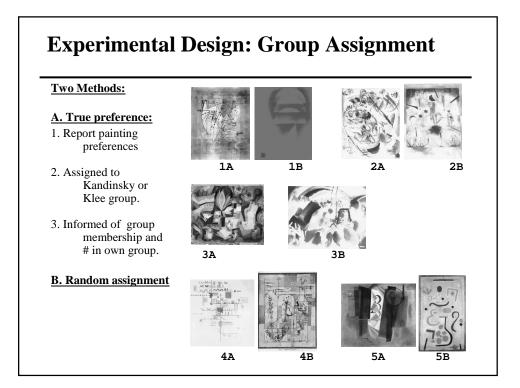
# **Research Questions**

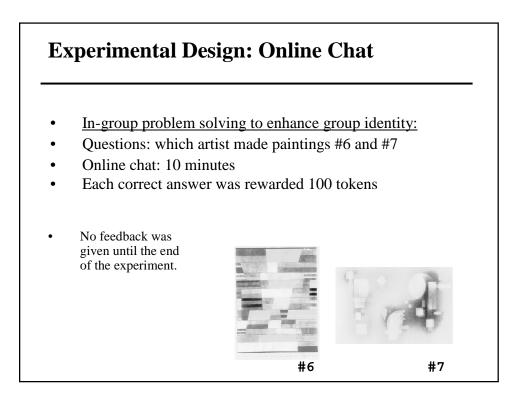
- Effects of identity on social preferences
  - Distribution preference
  - Reciprocity
  - Social welfare maximization
- What creates group effects
  - Categorization
  - Helping

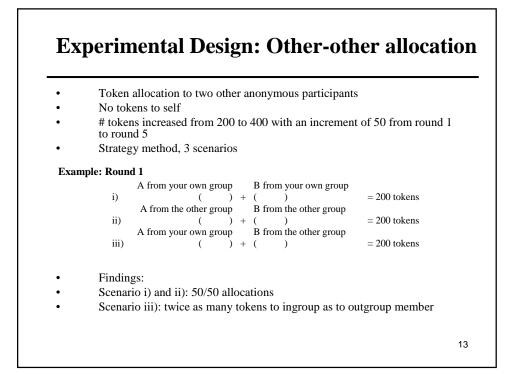
# **Experimental Design**

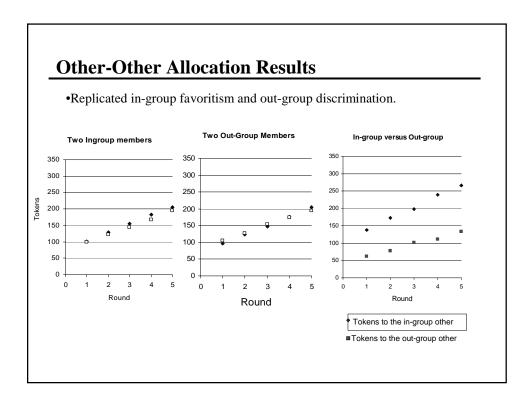
- Original treatment: 3 stages
  - I. Group assignment
  - II. Enhancing identity: problem solving
  - III. Other-other allocation
  - IV. 2-person sequential games (self-other allocation)
- Control: No group-identity induced
- Additional treatments: take out one component at a time

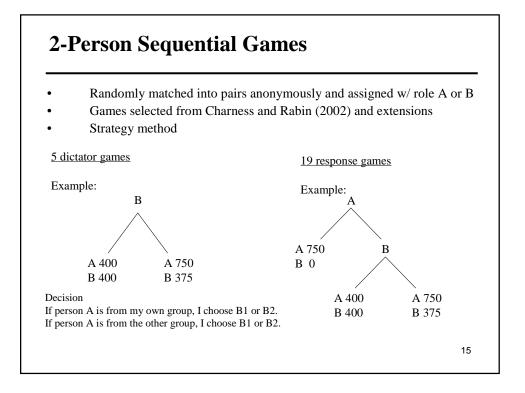
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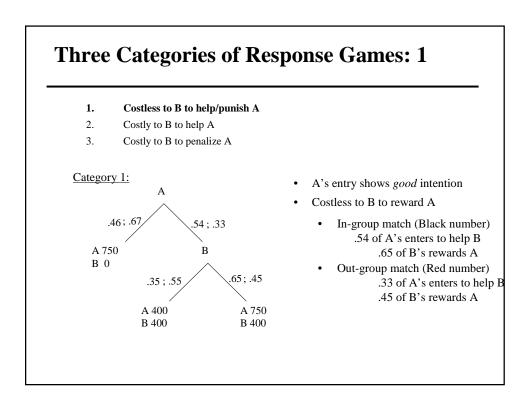


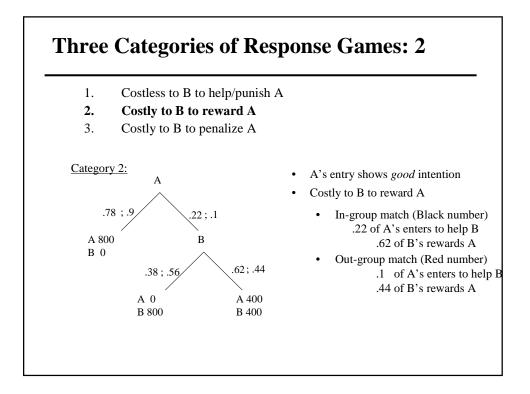


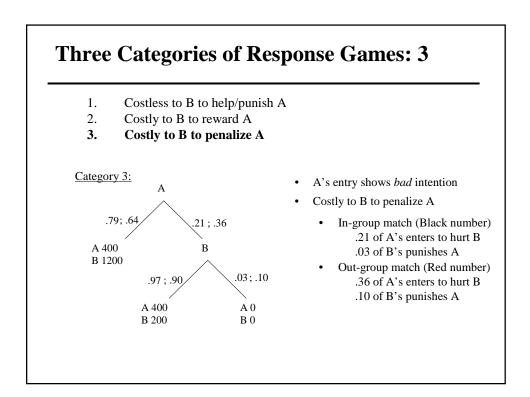












# **Analysis: Distribution Preferences**

• B's utility function:

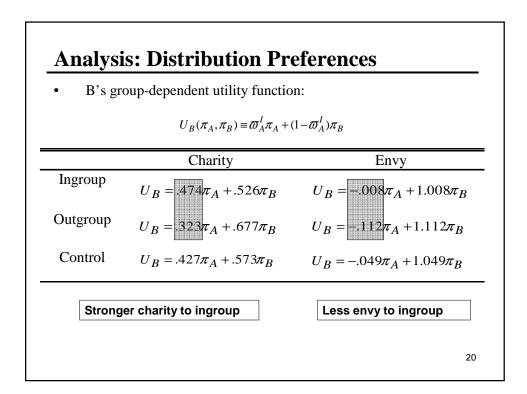
 $U_B(\pi_A,\pi_B) \equiv \overline{\varpi}_A^I \pi_A + (1 - \overline{\varpi}_A^I) \pi_B$ 

where 
$$\overline{\varpi}_{A}^{I} = \rho(1+I \cdot a)r + \sigma(1+I \cdot b)s$$
  
(charity) (envy)

r=1 if  $\pi_{\rm B} > \pi_{\rm A}$ ; s=1 if  $\pi_{\rm B} < \pi_{\rm A}$ ; I=1 if in - group matching

Parameter estimates:

	ρ	σ	$\rho(l+a)$	$\sigma(l+b)$	a	b
Control	0.427	-0.049				
	(.022)***	(.0250)**				
<b>Treatment</b>	0.323	-0.112	0.474	-0.008	0.467	-0.931
	(.021)***	(.019)***	(.018)***	(.021)	(.112)***	(.192)***
	Out-gr charity	Out-gr envy	In-gr charity	In-gr envy	-	



# **Result 1: Distribution Preferences**

- Charity
  - When getting a <u>higher</u> payoff than their match, participants show charity concerns
  - Charity concern is significantly <u>greater</u> towards an in-group match than towards an out-group match
- Envy
  - When getting a <u>lower</u> payoff than their match, participants exhibit envy
  - Envy is significantly <u>less</u> towards an in-group match than towards an out-group match

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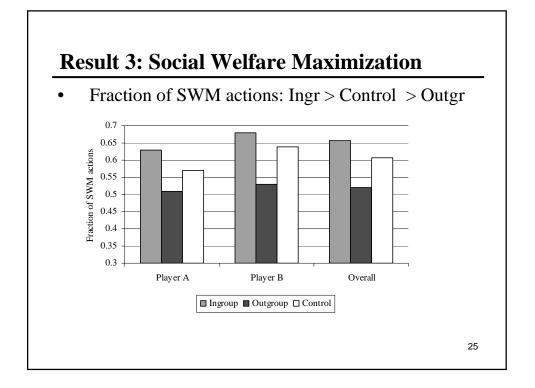
Rewarding good beha	vior: ingroup	> outgroup
	Prob(B rewards A)	
	Control	Treatment
Independent variables	(1)	(2)
Ingroup match		0.218
		(0.035)***
Benefit to B	0.453	0.151
due to A's entry	(0.436)	(0.105)
B's cost to reward A	-0.328	-0.114
	(0.232)	(0.063)*
Benefit to A if B rewards	0.204	0.076
	(0.053)***	(0.032)**
How much B's payoff is	-0.130	-0.077
behind A's if B rewards	(0.047)***	(0.024)***
Constant	-2.148	-0.849
	(1.681)	(0.434)*
Observations	156	550
Pseudo R - square	0.12	0.06

Punishing misbehavior: in	group < outgr	oup	
	Prob(B pun	-	
	Control	Treatment	
Independent variables	(1)	(2)	
Ingroup match		-0.128 (0.027)***	
Damage to B	0.018	-0.001	
due to A's entry	(0.018)	(0.009)	
B's cost to punish A	-0.265	-0.316	
Damage to A if B punishes	(0.071)*** 0.040 (0.019)**	(0.047)*** 0.042 (0.009)***	
How much B's payoff	-0.171	-0.103	
is ahead of A's if B punishes	(0.070)**	(0.029)***	
Constant	-0.211	-0.049	
	(0.100)**	(0.053)	
Observations	250	874	
Pseudo R - square	0.13	0.19	

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# **Besult 2: Reciprocity**Reciprocal preference is significantly different between in-group and out-group matches Good intention Significantly more likely to reward an in-group than an out-group match for their good behavior Bad intention Significantly more likely to forgive misbehaviors from an in-group match compared to an out-group match



<ul> <li><i>more</i> forgiving of unfair behaviors</li> <li>more likely to choose SWM action</li> <li>Consistent with more altruism towards an in-gramember</li> <li>What creates group effect? (see paper)</li> </ul>	roup
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# **Social Identity Experiments in Economics**

- Social Identity and social preference
  - Chen and Li (forthcoming)
  - McLeish and Oxoby (2006)
- Social identity and public goods (VCM)
  - Brown-Kruse and Hummels (1993)
  - Cadsby and Maynes (1998)
  - Solow and Kirkland (2002)
  - Eckel and Grossman (2005)
- Social identity and equilibrium selection
  - Cadsby and Maynes (1998)
  - Croson, Marks and Snyder (2003)
  - Charness, Rigotti and Rustichini (2007)
  - Chen and Chen (2008)

# A Unifying Framework: the Potential

- Definition
  - Potential
  - Potential function
- Group identity changes the potential function
  - Games with a unique equilibrium: changes equilibrium prediction
  - Games with multiple equilibria: changes equilibrium selection

# **The Potential**

 $\Gamma(u^{1}, u^{2}, ..., u^{n}): \text{ a normal form game with n players}$   $Y^{i}: \text{ strategy set of player i}$ (1) A function,  $P: Y \to R$  is an ordinal potential for  $\Gamma$ , if for every  $i \in N$  and for every  $y^{-i} \in Y^{-i}$   $u^{i}(y^{-i}, x) - u^{i}(y^{-i}, z) > 0$  iff  $P^{i}(y^{-i}, x) - P^{i}(y^{-i}, z) > 0$ for every  $x, z \in Y^{i}$ . (2) Suppose  $u^{i}: Y^{i} \to R$  are continuously differentiable. Then P is a potential for  $\Gamma$  iff P is continuously differentiable, and  $\frac{\partial u^{i}}{\partial y^{i}} = \frac{\partial P}{\partial y^{i}}$  for every  $i \in N$ .

# Potential Games A game that possesses a potential is a *potential game*Properties Every potential game has a pure-strategy equilibrium (Rosenthal 1973) Better reply learning dynamics converges to equilibrium (Blume 1993, Monderer and Shapley 1996) argmax set of potential function refines equilibrium set

# The Potential of Social Identity for Equilibrium Selection

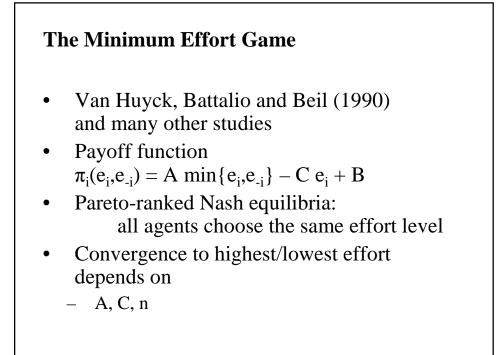
Roy Chen

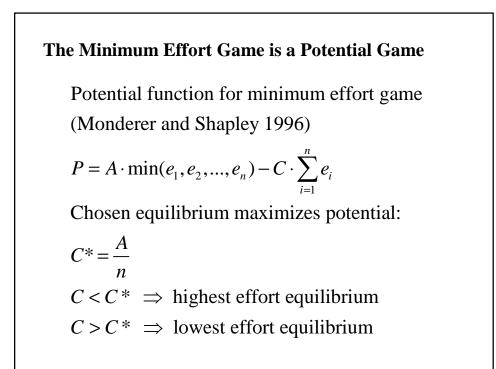
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# How does social identity affect equilibrium selection?

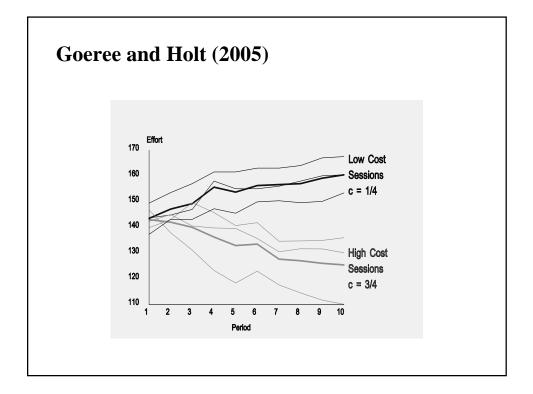
- Battle of Sexes
  - Charness, Rigotti and Rustichini (2007)
  - Salient group identity: better coordination
- Provision point mechanism
  - Cadsby and Maynes (1998): priming
  - Croson, Marks and Snyder (2003)
  - Women: increase coordination and efficiency
- Minimum effort game





# **Goeree and Holt (2005)**

- Continuous effort from [110, 170]
- A = 1, B = 0, n = 2
- $C^* = 0.5$
- For low C (0.25), converged to highest effort
- For high C (0.75), converged to low effort
- Maximizing stochastic potential



How Does Social Identity Affect Potential Function?

Using social preference model:  $u_i(\pi_i, \pi_j) = \alpha_i \pi_j + (1 - \alpha_i) \pi_i$ , where group effect may be captured in  $\alpha_i$ : (1) Ingroup vs. outgroup:  $\alpha_i^I > \alpha_i^O$ ; (2) Strength of group identity  $\uparrow \Rightarrow \alpha_i^I \uparrow$ Potential function for minimum effort game:  $P = A \cdot \min(e_1, e_2) - C \cdot [(1 - \alpha_1)e_1 + (1 - \alpha_2)e_2]$ 

How Does Social Identity Affect Potential Function? Potential function for minimum effort game:  $P = A \cdot \min(e_1, e_2) - C \cdot [(1 - \alpha_1)e_1 + (1 - \alpha_2)e_2]$ Chosen equilibrium maximizes potential:  $C^* = \frac{A}{(2 - \alpha_1 - \alpha_2)}$ (1) Ingroup matching:  $\alpha_i \uparrow \Rightarrow C^* \uparrow$ (2) Outgroup matching:  $\alpha_i \downarrow \Rightarrow C^* \downarrow$ (3) Increased strength:  $\alpha_i \uparrow \Rightarrow C^* \uparrow$ 

# **Experimental Design**

# • Near-minimal groups

- Random assignment (red or green)
- Minimum effort game

# • Enhanced groups

- Random assignment (red or green)
- Problem-solving stage
  - Klee and Kandinsky paintings
  - online chat with group members
- Minimum effort game
- Control

# **Experimental Design: 2\*3 Factorial Design**

	Ingroup	Outgroup	Control
Near-Minimal Groups	3	3	3
Enhanced Groups	3	3	3

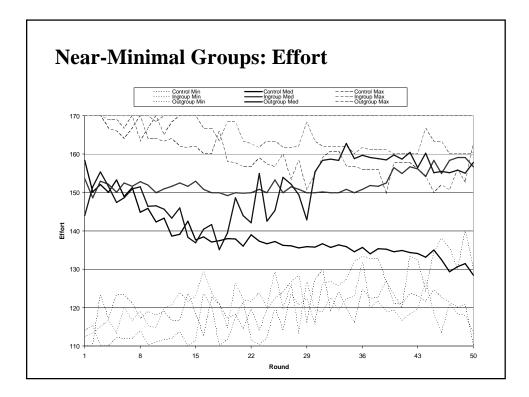
## Between-subject design

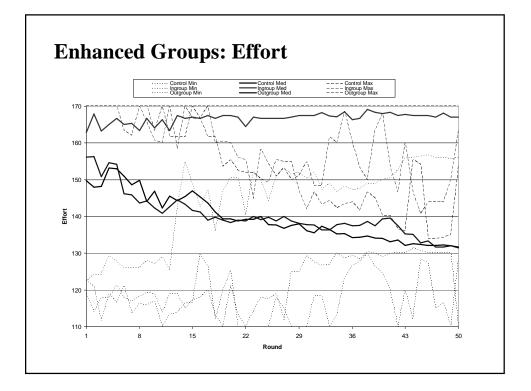
- 12 subject per session: random rematching into pairs
- 50 rounds
- Feedback: given after every round
- Effort: [110, 170]

# **Experimental Design: Parameter Selection**

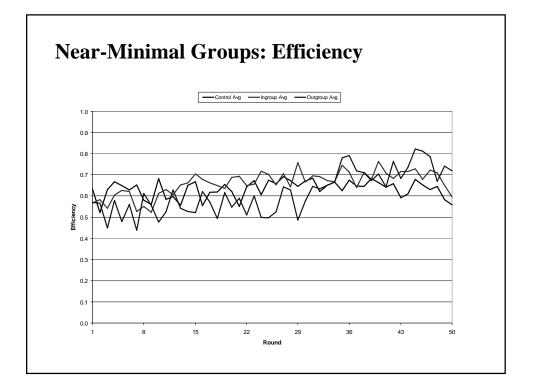
Payoff function:  

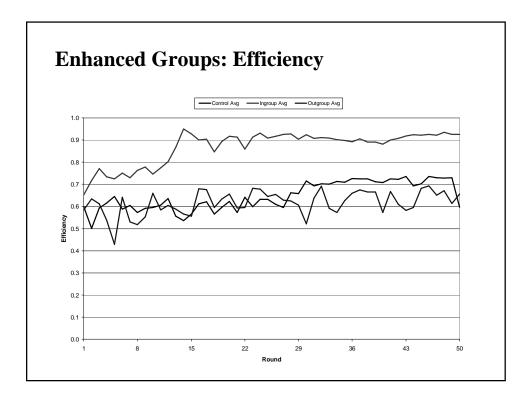
$$\pi_i = \min(e_i, e_j) - 0.75 \cdot e_i$$
  
Chosen equilibrium maximizes potential:  
 $C^* = \frac{A}{(2 - \alpha_1 - \alpha_2)}$   
(1)  $\alpha_i = 0$ : converge to 110  
(2)  $\alpha_i > \frac{1}{3}$ : converge to 170





<b>Reduced</b> $\beta_{0} = \beta_{0} + \beta$				<b>on</b> group <sub>i</sub> + $\beta_3$ lnRound <sub>t</sub> + $\eta_i$ + $\delta_t$ + $\delta_t$
Near-minimal	Estimate	SE	p-value	<ul> <li>Random effects model</li> <li>Cluster at session level</li> </ul>
Ingroup	8.28	7.03	0.24	
Outgroup	10.22	7.58	0.18	
In(round)	-0.42	1.52	0.78	
Enhanced	Estimate 24.74	SE 10.58	p-value <b>0.02</b>	
Outgroup	0.89	14.97	0.95	
	-2.46	2.43	0.31	





# **Summary**

- Near-minimal groups: no group effect
- Enhanced groups
  - Significant ingroup favoritism
  - No outgroup discrimination
  - Brewer (1999): asymmetry
- Group identity changes the potential function and potential maximizing strategies, if the induced or primed identity is strong enough

# More on Groups and Equilibrium Selection

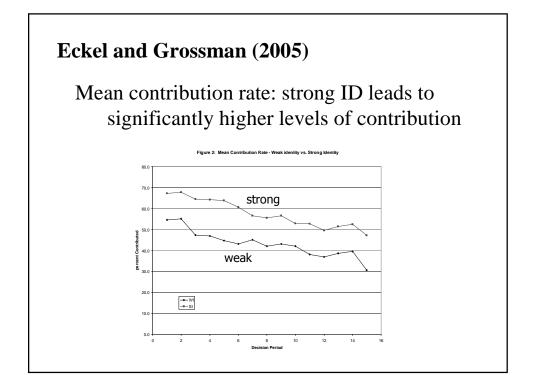
- Bornstein, Gneezy and Nagel (2002)
  - A=20, C=10, n=7: C\* = 3
  - Group competition
  - Some groups converged to highest effort
- Weber (2006)
  - A=0.2, C=0.1, n = 2 to 12: C\*=0.1 to 0.017
  - Group initiation
  - Convergence to 5 with slow growth
- These can be seen as increasing group identity

# The Potential of Social Identity for Public Goods Provision

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# Effect of Group Identity on Contribution in VCM

- Primed natural identity – Solow and Kirkwood (2002)
- Induced identity
  - Eckel and Grossman (2005)
- Real social groups
  - Goette, Huffman and Meier (2006)
  - Bernhard, Fehr and Fischbacher (2006)
- Findings
  - Sometimes: no effect
  - Ingroup: more cooperative
  - Stronger identity increases contribution



VCM is a Potential Game Payoff function for VCM:  $\pi_i = \sum_{i=1}^n e_i + C(\omega_i - e_i)$ Potential function:  $P = \sum_{i=1}^n e_i - C \cdot \sum_{i=1}^n e_i$ With group identity, potential becomes  $P = (e_1 + e_2) - C \cdot [(1 - \alpha_1)e_1 + (1 - \alpha_2)e_2]$ Contribute if  $\frac{\alpha_1 + \alpha_2}{2} > 1 - \frac{1}{C}$ 

# **Summary and Open Questions**

- Group identity influences social preference
  - More altruistic towards ingroup members
- Changes potential function
- Changes potential maximizing equilibrium
- Implications for organization design