NATIONAL TAIWAN UNIVERSITY

Department of Finance

ECONOMETRIC THEORY I

and

Departments of Economics and International Business

ECONOMETRIC THEORY III

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This is the first course in econometric theory for Ph.D. students; well prepared Master students are also welcome to take this course. This course requires knowledge of probability theory, multivariate statistics, and linear (matrix) algebra; econometrics at master level is not a prerequisite, however. In this course, I will follow my own lecture notes and cover various least-squares theories and quasi-maximum likelihood theory. Unlike most econometrics textbooks that are organized according to models, my notes are arranged by theories (methods), with applications to various models. Some textbooks (R2 and R3 below) provide more thorough treatment of these topics. What I hope is that, by introducing econometric theory in this way, students will learn how an econometric method is derived and why it works.

The lectures will be in *English*; classroom discussion may be in Mandrin if so desired. Students are also required to be familiar with at least one programming language, such as R or Matlab. A senior student will introduce basic programming in R in the beginning lectures; some basic materials about R installation and introduction can be found in the class website (see below).

Required Reading

- R1. Kuan, C.-M., Introduction to Econometric Theory, Slides and Notes, available at: https://ceiba.ntu.edu.tw/1001econometrics (for finance students) https://ceiba.ntu.edu.tw/1001econometric3 (for economics and IB students) homepage.ntu.edu.tw/~ckuan
- R2. White, H., Asymptotic Theory for Econometricians, revised ed., Academic Press, 1999.
- R3. White, H., Estimation, Inference and Specification Analysis, Cambridge University Press, 1994.

Supplemental Reading

S1. Davidson, R. and J. G. MacKinnon, *Estimation and Inference in Econometrics*, Oxford University Press, 1993.

- S2. Greene, W. H., Econometric Analysis, 6th ed., Pearson Prentice Hall, 2008.
- S4. Kuan, C.-M., Elements of Matrix Algebra, Lecture Notes.

Office Hours: Tuesday 4–6 or by appointment (3366.1072)

Course Outline

- **Part I:** Review of Classical and Generalized Least Squares Theory (Chapters 3–4 of R1; S2; S4)
 - I.1 The Method of Ordinary Least Squares (OLS)
 - I.2 Properties of the OLS Estimator
 - I.3 Hypothesis Testing
 - I.4 Limitation of the Classical Conditions
 - I.5 The Method of Generalized Least Squares (GLS)
 - I.6 Heteroskedasticity and Serial Correlation
- Part II: Asymptotic Least Squares Theory (Chapters 5–7 of R1; R2; R3)
 - II.1 Elements of Probability Theory
 - II.2 Asymptotic Properties of the OLS Estimator
 - II.3 Consistent Estimation of Asymptotic Covariance Matrix
 - II.4 Large Sample Tests
- Part III: Nonlinear Least Squares (NLS) Theory (Chapter 8 of R1; S1)
 - III.1 Nonlinear Specifications
 - III.2 NLS Estimator
 - III.3 Asymptotic Properties of the NLS Estimator
 - III.4 Large Sample Tests
- Part IV: Quasi-Maximum Likelihood (QML) Theory (Chapters 9–10 of R1; R3; S3)
 - IV.1 Kullback-Leibler Information Criterion
 - IV.2 Asymptotic Properties of the QML Estimator
 - IV.3 Information Matrix Equality
 - IV.4 Large Sample Tests Nested Models
 - IV.5 Large Sample Tests Non-Nested Models
 - IV.7 Applications: ARMA Models
 - IV.8 Applications: Volatility Models

Grading: One midterm (40%), one final (45%), Homework (15%).