

#### Measuring Risk Preferences

- Consider the following decision:
- You have two choices, A and B: – One option gives you NT\$1,000,000
  - The other option gives you NT\$10,000,000
- Would you pick one of them, or "fold" for a sure NT\$5,000,000?
  - ("Who wants to be a millionaire?")

#### Measuring Risk Preferences

- What if the choices are:
- Option A: 0 or \$30,000,000 with (1/2, 1/2)
- Option B: \$10,000,000 for sure
- What would you choose?
- Why would one take Option B?
- $U(x) = x^{1-r} = x^{0.5}$  (for r=0.5) – Diminishing Marginal Utility
- Are these too "hypothetical"?

# Hypothetical Bias

- John: Suppose... I were to offer you one million dollars for one night with your wife.
- <u>David</u>: I'd assume you're kidding.
- John: Let's pretend I'm not. What would you say?
  Diana: He'd tell you to go
- to hell.
- John: I didn't hear him.
  David: I'd tell you to go to

hell

because you view the question as hypothetical. But let's say that there was real money backing it up. I'm not kidding. A million dollars. The night would come and go but the money could last a lifetime. Think of it. A million dollars. A lifetime of security... for one night. Don't answer right away. Just consider it; seriously?

John: That's a reflex answer

### Hypothetical Bias



John: That's a reflex answer because you view the question as hypothetical. But let's say that there was real money backing it up. I'm not kidding. A million dollars. The night would come and go but the money could last a lifetime. Think of it. A million dollars. A lifetime of security... for one night. Don't answer right away. Just consider it; seriously?













## **Prospect Theory Preferences**

- Prospect Theory
  - Risk Aversion, Loss Aversion
  - Overweighting Low Probabilities
- 1-Parameter Example (Prelec ECMA98):

$$U(x, p; y, q) = \begin{cases} v(y) + \pi(p)(v(x) - v(y)) & \text{if } xy > 0\\ \pi(p)v(x) + \pi(q)v(y) & \text{if } xy < 0 \end{cases}$$
$$v(x) = \begin{cases} x^{\alpha} & \text{for } x > 0\\ -\lambda(-x^{\alpha}) & \text{for } x < 0 \end{cases} \text{and } \pi(p) = e^{-(-\ln p)^{\alpha}}$$

#### Tanaka, Camerer, Nguyen (2007)

- See handout for 3 set of decisions
- Student Presentation:
- Tanaka, Camerer and Nguyen (2007), "<u>Risk and time preferences: Experimental</u> <u>and household data from Vietnam</u>," revised and resubmitted to the *American Economic Review*.



• Discounting the Future – Exponential: Dynamic Programming

$$U(c_1,...,c_n,...) = u(c_0) + \sum_{k=1}^{\infty} \delta^k \cdot u(c_k)$$

• Hyperbolic Discounting

$$U(c_1,...,c_n,...) = u(c_0) + \beta \sum_{k=1}^{\infty} \delta^k \cdot u(c_k)$$

# Preference Reversals A: When will you quit smoking? B: Tomorrow! The next day, A: When will you quit smoking? B: Tomorrow! A: But you said that yesterday... Tomorrow Never Dies

# Hyperbolic Discounting

- Student Presentation
- McClure, Laibson, Loewenstein and Cohen (2004), "<u>Separate Neural Systems</u> <u>Value Immediate and Delayed Monetary</u> <u>Rewards</u>" <u>Science</u> 306, October 15 2004

### Hyperbolic Discounting Follow-up

- McClure, Ericson, Laibson, Loewenstein, and Cohen (2007) "<u>Time Discounting for</u> <u>Primary Rewards</u>." *Journal of Neuroscience*, 27: 5796–5804.
- Now or 10-30 minutes later

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- Immediate "Juice" reward in the scanner – How does the results change?
- At what age do children develop into nonhyperbolic discounting?